



Breaks

Breaks : It is a device by mean of which ^{an}artificial resistance is applied to a moving machine members to retard or completely stops its motion.

Types of Breaks :

Block or Shoe brakes

Band Brake

Band and Block brake

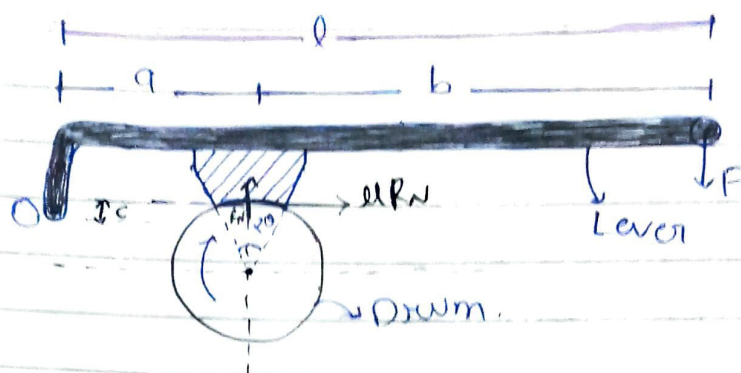
Internal Expanding Shoe brake

Vacume Brake.

Brake may also divided into two groups depending upon the dirⁿ in which the force is applied.

• Radial Brakes : In this brakes the force act gradually on the drum.
for example : Band, Block and internal expanding brake.

• Axial Brake : In this brakes the force are applied axially on the drum.
Eg: Disc and cone brake.



Block on Shoe brake

For clockwise direction of drum

Taking moment about O.

$$F \times l - R_N \times a + \mu R_N \times c = 0$$

$$F \times l = R_N a - \mu R_N \times c$$

$$F \times l = R_N (a - \mu c)$$

$$\left(\frac{F l}{(a - \mu c)} = R_N \right) \quad \text{--- (1)}$$

Frictional Resistance

$$F_f = \mu R_N = \frac{\mu F l}{a - \mu c} \quad \text{--- (2)}$$

Braking torque

$$T_B = F_f \times r$$

$$\left[T_B = \frac{\mu F l \times r}{a - \mu c} \right]$$

for
 $F_f = \mu R_N$
 $T = F_f \times r$

For anticlockwise direction of rotation of Drum :

Taking moment about O.

$$F \times l - R_N \times a - \mu R_N \times c = 0$$

$$F \times l = R_N a + \mu R_N \times c$$

$$F \times l = R_N (a + \mu c)$$

$$\left(\frac{F \times l}{(a + \mu c)} = R_N \right) \text{ --- (I)}$$

frictional Resistance

$$\left(F_f = \mu R_N = \frac{\mu F \times l}{(a + \mu c)} \right) \text{ --- (II)}$$

Braking torque.

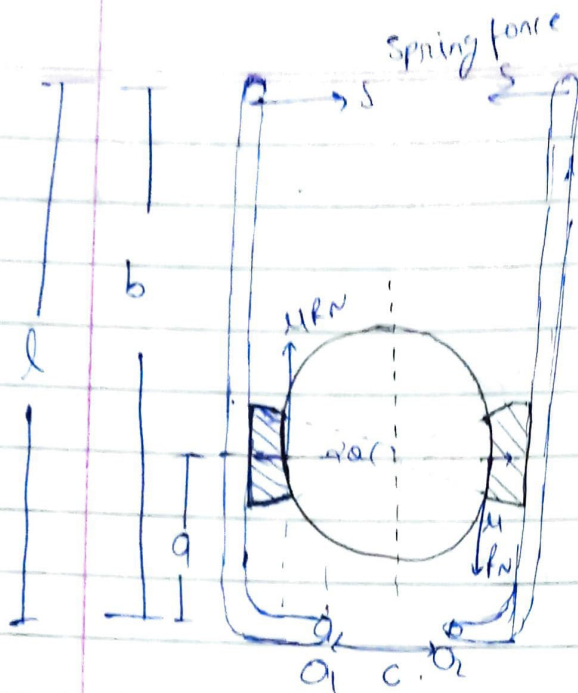
$$T_B = F_f \times r$$

$$\left(T_B = \frac{\mu F \times l \times r}{(a + \mu c)} \right) \text{ --- (III)}$$

It is assumed that the normal reaction and the frictional force at the mid point of the block, generally a angle of contact α is small but α is more than 60° then equivalent coefficient of friction is given by.

$$\mu' = \frac{\mu \sin \alpha}{2\alpha + \sin 2\alpha}$$

* angle $> 60^\circ$
then it use.



Taking moment about O_1

$$S \times l - R_N \times a + \mu R_N \times c = 0$$

$$S \times l = R_N a - \mu R_N c$$

$$\frac{S \times l}{(a - \mu c)} = R_N$$

frictional resistance

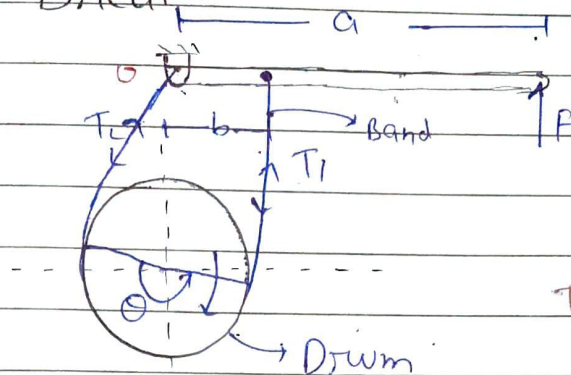
$$F_{fr} = \mu R_N = \frac{\mu F l}{(a - \mu c)}$$

Breaking Torque

$$T_{B1} = F_{fr} \times r$$

$$T_{B1} = \frac{\mu F l r}{(a - \mu c)}$$

ii) Band Break:



Taking moment about O

$$-F \times a + T_1 \times b + 0 = 0$$

$$F \times a = T_1 \times b \quad \text{--- (I)}$$

$$F = \frac{T_1 \times b}{a} \quad \text{--- (II)}$$

On

$$T_1 = \frac{F \times a}{b} \quad \text{--- (III)}$$

$$\frac{T_1}{T_2} = e^{\mu \theta}$$

$$\frac{T_1}{T_2} = e^{\mu \theta}$$

$$T_B = (T_1 - T_2) \pi$$

$$\therefore T_2 = \frac{T_1}{e^{\mu \theta}}$$

$$T_B = \left(T_1 - \frac{T_1}{e^{\mu \theta}} \right) \pi$$

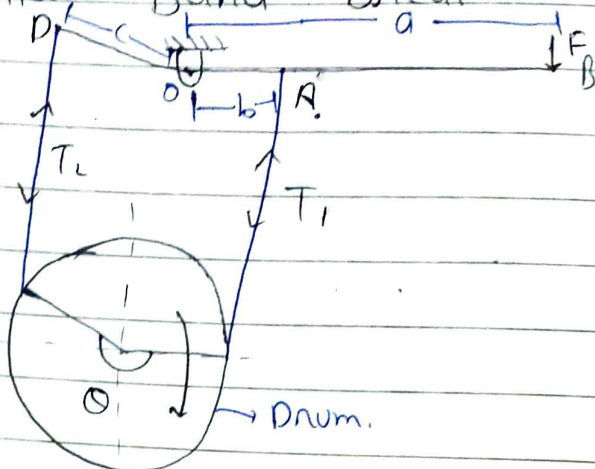
$$T_B = (T_1 - T_2) \pi$$

$$T_B = T_1 \left(1 - \frac{1}{e^{\mu \theta}} \right) \pi$$

$$\left[T_B = \frac{F \times a}{b} \left(1 - \frac{1}{e^{\mu \theta}} \right) \pi \right]$$

iii)

Differential Band break :



$$F \times a + T_1 \times b - T_2 \times c = 0$$

$$F a = T_2 c - T_1 b \quad \text{--- (1)}$$

$$T_2 c > T_1 b$$

$$c/b > T_1/T_2$$

if $c > b$ the system ~~to~~ work satisfactory

$$\text{if } \frac{c}{b} = \frac{T_1}{T_2}$$

$F=0$ self locking condⁿ of the break.

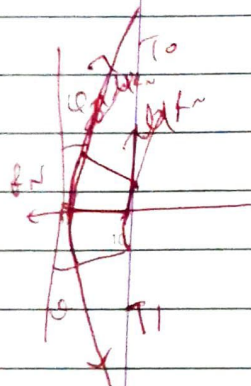
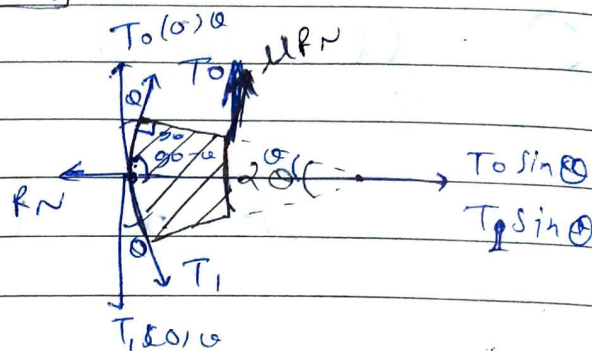
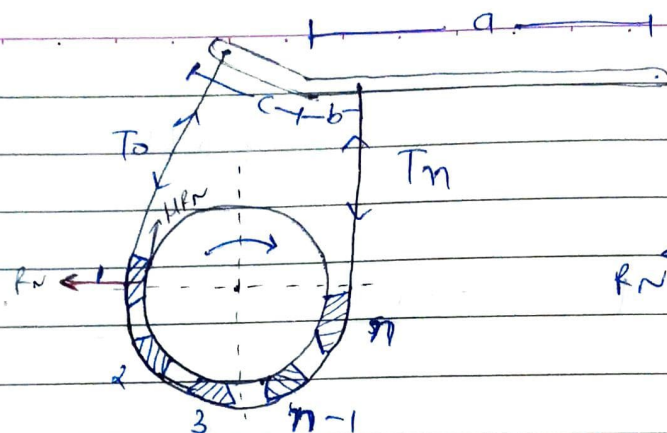
When, Drum rotates in anticlockwise dir.

$$\left(\frac{b}{c} = \frac{T_2}{T_1} \right)$$

iv

Band and block break : Band and block break

arrangement is shown in fig. The band is lying with a no. of wooden blocks, each of which with in contact of a rim of drum.



$$R_N = \sin \theta (T_1 + T_0) \quad \text{--- (1)}$$

$$\mu R_N = \cos \theta (T_1 - T_0) \quad \text{--- (2)}$$

on dividing eq (1) by (2)

$$\frac{1}{\mu} = \frac{\tan \theta (T_1 + T_0)}{(T_1 - T_0)}$$

$$\mu \tan \theta = \frac{(T_1 - T_0)}{(T_1 + T_0)} \quad \text{--- (3)}$$

on adding both side

$$1 + \mu \tan \theta = 1 + \frac{T_1 - T_0}{T_1 + T_0} \quad \text{--- (4)}$$

$$1 - \mu \tan \theta = 1 - \frac{(T_1 - T_0)}{T_1 + T_0} \quad \text{--- (5)}$$

$$1 + \mu \tan \theta = \frac{T_1 + T_0 + T_1 - T_0}{T_1 + T_0} = \frac{2T_1}{T_1 + T_0}$$

$$1 - \mu \tan \theta = \frac{T_1 + T_0 - T_1 + T_0}{T_1 + T_0} = \frac{2T_0}{T_1 + T_0}$$

$$\frac{1 + \mu \tan \theta}{1 - \mu \tan \theta} = \frac{T_1}{T_0} \quad \text{--- (6)}$$

(Balancing to dynamometer)

for 2nd block

$$\frac{1 + \mu \tan \alpha}{1 - \mu \tan \alpha} = \frac{T_2}{T_1}$$

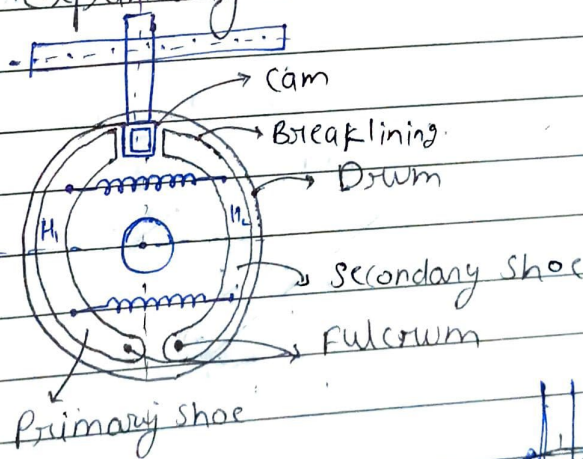
for n^{th} block

$$\frac{1 + \mu \tan \alpha}{1 - \mu \tan \alpha} = \frac{T_n}{T_{n-1}}$$

$$\frac{T_n}{T_0} = \frac{T_n}{T_{n-1}} \times \frac{T_{n-1}}{T_{n-2}} \cdots \frac{T_2}{T_1} \times \frac{T_1}{T_0} = \left(\frac{1 + \mu \tan \alpha}{1 - \mu \tan \alpha} \right)^n$$

$$\frac{T_n}{T_0} = \left(\frac{1 + \mu \tan \alpha}{1 - \mu \tan \alpha} \right)^n$$

Internal Expanding Shoe brake :



P_i = max^m intensity of pressure

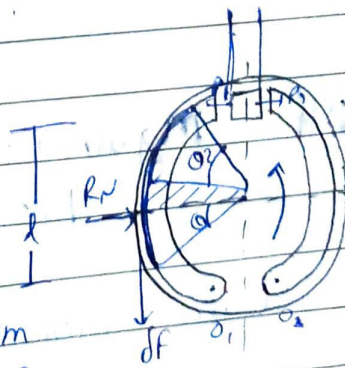
P_n = normal pressure

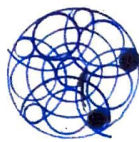
R = Internal radius of drum

b = Breadth of break lining

T_b = Breaking torque

P_1 = force exerted by the cam on the leading on primary shoe. , P_2 = force exerted by the cam on the trailing on secondary shoe.





$$M_N = \frac{1}{2} p_1 b \pi r_0 c_1 \left[(\theta_2 - \theta_1) + \frac{1}{2} (\sin 2\theta_1 - \sin 2\theta_2) \right]$$

R_N = Normal reaction

F = frictional force

M_N = Moment of normal forces

M_F = Moment of frictional forces.

$$P_1 l = M_N - M_F$$

$$M_N = \frac{1}{2} p_1 b \pi r_0 c_1 \left[(\theta_2 - \theta_1) + \frac{1}{2} (\sin 2\theta_1 - \sin 2\theta_2) \right]$$

$$M_F = \mu p_1 b \pi \left[r_1 (\cos \theta_1 - \cos \theta_2) + \frac{r_0 c_1}{4} (\cos 2\theta_1 - \cos 2\theta_2) \right]$$

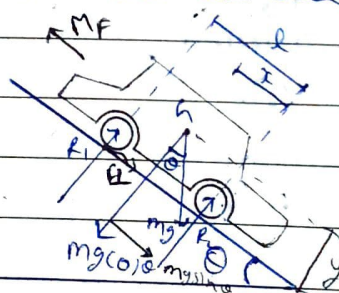
For leading shoe:

$$P_1 l = M_N - M_F$$

For Trailing shoe:

$$P_2 l = M_N + M_F$$

Breaking effect in a vehical : Breaks are applied on front wheels only.



$$M_F = mg \sin \theta + F_1 \quad \text{--- (I)}$$

$$R_1 + R_2 = mg \cos \theta \quad \text{--- (II)}$$

Taking moment about G.

$$-F_1 x + R_1 (l - x) - R_2 x = 0$$

$$F_1 x = R_1 (l - x) - R_2 x \quad \text{--- (III)}$$

$$\therefore F_1 = \mu R_1 \text{ Put in eq (3)}$$

$$\therefore R_2 = mg \cos \theta - R_1$$

$$\mu R_1 y = R_1 (1-x) - xmg \cos \theta + R_1 x$$

$$\mu R_1 y = R_1 - R_1 x - xmg \cos \theta + R_1 x$$

$$\mu R_1 y = R_1 - xmg \cos \theta$$

$$xmg \cos \theta = R_1 (1 - \mu y)$$

$$\left(\frac{xmg \cos \theta}{(1 - \mu y)} = R_1 \right) \text{ ————— (iv)}$$

$$\text{put } R_1 \text{ in eq (1)}$$

$$MF = mg \sin \theta + F_1$$

$$MF = mg \sin \theta + \mu R_1$$

$$MF = mg \sin \theta + \mu \frac{xmg \cos \theta}{1 - \mu y}$$

$$\cancel{MF} = \cancel{mg}$$

$$\left[f = g \sin \theta + \frac{\mu x g \cos \theta}{1 - \mu y} \right]$$

put $\theta = 0$ for plane path

$$f = g \sin 0 + \frac{\mu x g \cos 0}{1 - \mu y}$$

$$\left[f = \frac{\mu x g}{1 - \mu y} \right]$$